

## Lower 6 Chapter 9

# Trig Ratios

### Chapter Overview

1. Sine/ Cosine Rule
2. Areas of Triangles
3. Trig Graphs
4. Proof of Sine/ Cosine Rule

<p>5 Trigonometry</p>	<p>5.1</p>	<p>Understand and use the definitions of sine, cosine and tangent for all arguments;</p> <p>the sine and cosine rules;</p> <p>the area of a triangle in the form <math>\frac{1}{2}ab \sin C</math></p>	<p>Use of <math>x</math> and <math>y</math> coordinates of points on the unit circle to give cosine and sine respectively,</p> <p>including the ambiguous case of the sine rule.</p>
	<p>5.3</p>	<p>Understand and use the sine, cosine and tangent functions; their graphs, symmetries and periodicity.</p>	<p>Knowledge of graphs of curves with equations such as <math>y = \sin x</math>, <math>y = \cos(x + 30^\circ)</math>, <math>y = \tan 2x</math> is expected.</p>

## Sine and Cosine Rule



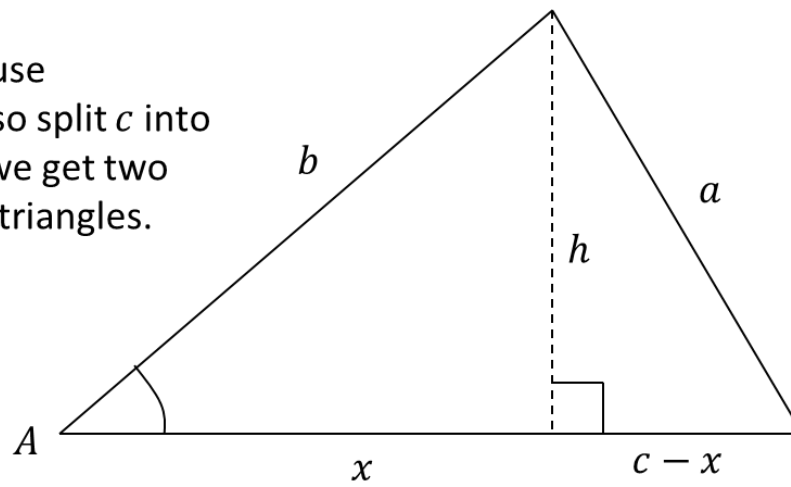
### The Cosine Rule

<u>You have</u>	<u>You want</u>	<u>Use</u>
#1: Two angle-side opposite pairs	Missing angle or side in one pair	Sine rule
#2 Two sides known and a missing side opposite a known angle	Remaining side	Cosine rule
#3 All three sides	An angle	Cosine rule
#4 Two sides known and a missing side not opposite known angle	Remaining side	Sine rule twice

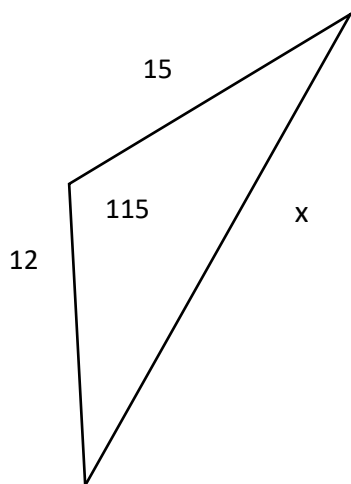
Examples:

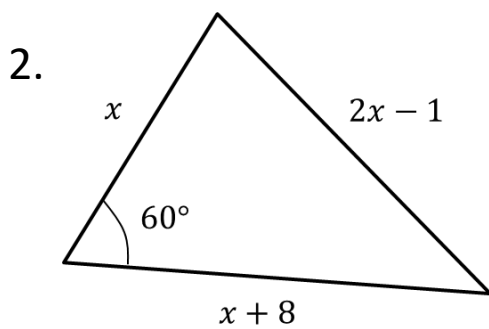
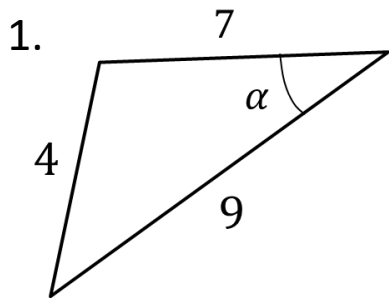
## Proof of Cosine Rule

We want to use Pythagoras, so split  $c$  into two so that we get two right-angled triangles.



1.

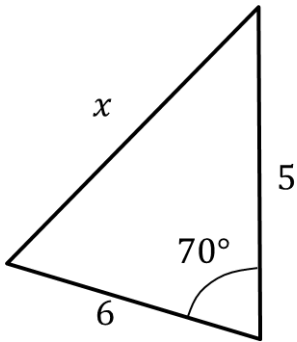




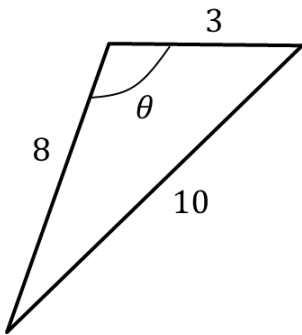
3. Coastguard station  $B$  is 8 km, on a bearing of  $060^\circ$ , from coastguard station  $A$ . A ship  $C$  is 4.8 km on a bearing of  $018^\circ$ , away from  $A$ . Calculate how far  $C$  is from  $B$ .

Test Your understanding

1.



2.



3.

